| Question |  | Answer | Marks | Part Marks and Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | (a) | Correct sketch | 1 | Straight line crossing +ve $x$-axis and -ve $y$-axis | Condone freehand |
|  | (b) | $\frac{1}{2}$ oe | 2 | Or M1 for evidence of numerical attempt at 'rise/run' Or SC1 for 2 | $\text { eg can be implied by }-\frac{1}{2}$ |
|  | (c) | $y=\frac{1}{2} x+6$ | 2 | Or M1 for $\frac{1}{2} x+6$, or $y=m x+6$ or $y=\frac{1}{2} x+c$ | Any $m$ except 0, any $c$ (inc 0 ) |
|  | (d) | Not parallel as $m \neq \frac{1}{2}$ <br> Not perpendicular as $m \neq-2$ <br> Neither | M1 <br> M1 A1 | Allow gradient not the same Allow not negative reciprocal |  |


| $\mathbf{2}$ |  | $y=6 x-5$ oe isw | 2 | B1 for $y=a x-5$ or $y=6 x \pm b$ or $6 x-5$ | Any a or $b$ (incl. 0 ) |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |


| $\mathbf{3}$ | (a) | $y=x-5, y=-3 x+5, y=\frac{1}{2} x+5$ | $\mathbf{3}$ | B1 for each one |  |
| :--- | :--- | :--- | :---: | :--- | :--- |
|  | (b) | $y=-\frac{1}{2} x+3$ | $\mathbf{2}$ | B1 for $y=-\frac{1}{2} x+c$ or $y=m x+3$ |  |


| 4 | (a) | 4 | 1 | Not 4x | Allow 4/1 |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | (b) | (0, -5) cao | 1 |  |  |
|  | (c) | $y=4 x$ | 2 | B1 for $4 x, y=m x($ any $m \neq 0), y=4 x+c$ (any $c \neq 0$ ) | Condone $y=4 x+0$ for 2 marks And $y=m x+0$ for 1 mark |
|  | (d) | $-\frac{1}{5} \times 4 \neq-1$ | 1 | Or gradient should be $-\frac{1}{4}$ Not -ve reciprocal etc | Soi <br> 'Inverse' does not mean 'reciprocal' |


| 5 | (a) | 15 | 2 | M1 for $m=\frac{145-70}{8-3}$ or better | Ignore units |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | (b) | $J=15 t+25$ oe | 3 | B1FT for (their 15)t <br> M1 for method to find constant term <br> Or SC2 for (their 15)t +25 or $y=15 x+$ 25 <br> Or SC1 for $m t+25$ | Condone other variables used instead of $t$ <br> Ignore units |


| $\mathbf{6}$ | (a) |  | Ruled line of best fit | 1 | Within tramlines, any length <br> Allow not passing through (0, 0) | Overlay available <br> If extended must stay within <br> tramlines |
| :--- | :---: | :---: | :--- | :---: | :--- | :--- |
|  | (b) | Answer in range 10-14 | 2 | M1 for (vertical change) / (horizontal <br> change) soi <br> or for correct gradient but wrong form | Can be implied from a triangle <br> drawn on line of best fit or from any <br> 2 points eg $12 x$ etc |  |
|  | (c) | (Average) Price (per Satsuma) | 1 | eg They cost 11p | Allow costs in range 10-14 or FT <br> 0 for a description of correlation |  |
|  | (d) | $y=($ their 12) $x+$ their $c$ oe | 2 | B1 for $y=($ their 12) $x+$ any $c$ | Allow correct or FT <br> Tolerance $\pm 2$ for $c(l o o k ~ a t ~$ <br> extension if line does not cross <br> $y-a x i s) ~$ |  |


| 7 | (a) | Ruled line drawn | 1 |  | Overlay available |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | (b) | $-\frac{2}{3}$ | 2FT | B1 for $-\frac{8}{12}$ or $-\frac{4}{6}$ (and other correct unsimplified forms eg $-\frac{1}{1.5}$ ) or $\frac{2}{3}$ or -0.66 (or better) or $-\frac{2}{3} x$ isw | If wrong points plotted allow correct or FT for $\mathbf{2}$ provided non integer, otherwise max 1 |
|  | (c) | $y=-\frac{2}{3} x+8$ | 2FT | their $m$ and $c$ <br> B1 for $y=m x+8$ or $y=-\frac{2}{3} x+c$ or $-\frac{2}{3} x+8$ or $y=-\frac{2}{3}+8$ | Allow correct or FT <br> Any $m$ or $c$ including 0 <br> eg B1 for $y=m x+12$ if $(0,12)$ plotted |
|  | (d) | $\frac{3}{2}$ or $1 \frac{1}{2}$ or 1.5 isw | 1FT | - 1/(their m) | Allow other forms if correct eg $\frac{-3}{-2}$ etc <br> 0 for $\frac{3}{2} x$ etc |


| $\mathbf{8}$ | (a) | Correct plots and ruled line between w <br> $=50$ and $w=260$ | $\mathbf{3}$ | B2 for all 5 points correct <br> or <br> B1 for any 2 points correct <br> and <br> B1 for a ruled line through at least 4 <br> correct points |  |
| :--- | :--- | :--- | :---: | :--- | :--- |
|  | (b) | 9.9 to 10.1 | $\mathbf{1}$ | or FT their straight line | accuracy: the centre of their cross, dot <br> or top of their stick should lie within <br> the 'circle' on the overlay |
|  | (c) | 0.02 oe | $\mathbf{2}$ | $\mathbf{M 1}$ for an attempt at $\frac{\Delta L}{\Delta W}$ from their graph | equivalents include $\frac{1}{50}$ and $2 \%$ and <br> isw any attempt to simplify their <br> answer |
| (d) | $L=($ their 0.02)W + (their 10) | $\mathbf{1}$ |  |  |  |
| (e) | No data for weights that big | $\mathbf{1}$ | Spring might snap, equation may be <br> invalid for large values of $W$ or limit to the <br> length, etc |  |  |


| $\mathbf{9}$ | (a) |  | $(1,4.5)$ | 2 | B1 for each coordinate |  |
| :--- | :--- | :--- | :--- | :---: | :--- | :--- |
|  | (b) | (i) | 58 | 2 | $\mathbf{M 1}$ for $t^{2}=9$ or $6 t^{2}=54$ |  |
|  | (ii) | $[t=][ \pm] \sqrt{\frac{d-4}{6}}$ oe as final answer | 3 | nfww <br> M1 for a correct first step: $d-4=6 t^{2}$ or <br> $d / 6=t^{2}+4 / 6$ oe <br> M1 for correctly making $t^{2}$ the subject, FT <br> their first step <br> M1 for finding the square root of their <br> expression for $t^{2}$ | Square root symbol must extend <br> below fraction line |  |
|  | (c) |  | 3 and 32 | 2 | B1 each |  |
|  | (d) | (i) | 2.5 oe | 1 | accept $5 / 2$ |  |
|  | (ii) | $-3-2 t$ | 2 | Accept $-2 t-3$ <br> M1 for $5-2(t+4)$ |  |  |

